

Physics 141 - Fri 9/2

- (1) Please pick up Questionnaire and return to me after class or next Wed
- (2) Still available are the following handouts:
 - a syllabus/ schedule
 - Info on "Slawsky clinic" (free tutoring run by volunteers)
- (3) Lecture available online **the day before lecture**:
www.ireap.umd.edu/~wlosert/phys141_2005/
- (4) Mon Holiday

Homework:




- (5) Read Chapter 2 Sec 1-3 and 5 for Wednesday and do online pre-class quiz (you can skip 2.4)
- (6) First HW due Friday 9/9

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Phys141: Principles of Physics Summary of lecture 1

Basic tool of physics: Standardized units

Question: Are the following quantities standardized (SI) unit:

- Second 
- Minute
- Gram
- Kilogram 
- Kilometer
- Meter 

Information for the homework: Working with other students

- You **have** to work on the homework problems yourself first for a reasonable time
- After you have tried yourself, you are encouraged to work in groups on solving the problems (fellow students in discussion sections, lab partners)
 - Benefits to the explainer: Learn to explain how to solve a problem, then you are sure you really understand it.
 - Note of caution: Do not let others solve problems for you without having tried yourself: You need to learn how to solve problems, not just how to plug into equations to pass the exams
- Carry the calculations out independently, explain in your own words in the HW you hand in on paper.

Remember: You need to hand in HW on paper and submit online

Example of non standard (non-SI) units:

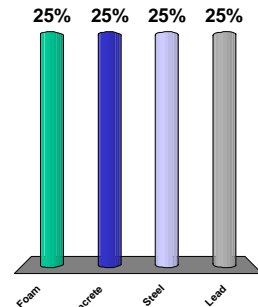
- Mass of atoms often measured in **atomic mass units u**: Measures the total number of protons and neutrons.
- Example: Carbon C
 - 6 protons, 6 neutrons,
 - Mass in Atomic mass units: $m = 12 \text{ u}$
 - Mass in kg:
 - Mass of proton and neutron are same:
 $1.6605387 \times 10^{-27} \text{ kg}$
 - Mass = $12 \text{ u} = 12 \times \text{mass of proton}$
 $= 12 \times 1.6605387 \times 10^{-27} \text{ kg}$

General customs on symbols

- Lengths: x , y , z , r , d , h , many other letters, or letters with subscripts x_1 , x_2 , x_A
- Mass often is m , m_1 , m_2 , m_{Ball}
- Time very often is t , or greek symbol: τ

Which of the materials has the largest density: foam, concrete, steel, or lead

1. Foam
2. Concrete
3. Steel
4. Lead



1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20
21	22	23	24	25	26	27	28	29	30	31	32	33	34	35	36	37	38	39	40

Derived quantity: Density

- Density is an example of a *derived* quantity
- It is defined as mass per unit volume

$$\rho \equiv \frac{m}{V}$$

- Units are kg/m^3
- Usual Symbol ρ (greek letter r)
- In Lab 1: Calculate the density of an object from measured Mass and Volume

Next Basic tool: Dimension of quantities

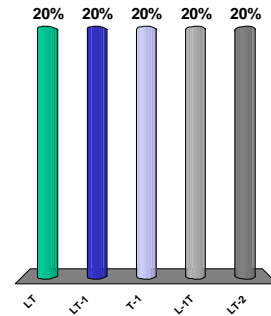
- Dimension has a specific meaning - it denotes the physical nature of a quantity
- Dimensions are denoted with square brackets
 - Length [L]
 - Mass [M]
 - Time [T]

Dimensional Analysis

- Both sides of equation must have the same dimensions
- > Check whether dimensions on both sides of an equation match! - this is one way of Dimensional Analysis

The equation for the position x of a train starting at $x=0$ is given by $x = a t + \frac{1}{2} b t^2$
The dimensions of a are:

1. LT
2. LT^{-1}
3. T^{-1}
4. $L^{-1}T$
5. LT^{-2}



1	2	3	4	5															

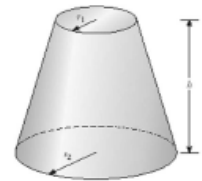
Dimensional Analysis, example

- Given the equation: $x = \frac{1}{2} a t^2$
- x : position [L] ; t time [T]
- What is dimension of acceleration a ?
- Dimensions on both sides of an equation have to be same: $L = ?? \cdot T^2$
- Algebraic manipulation of dimensions allowed! $L = \frac{L}{T^2} \cdot T^2$

Acceleration has dimension $\text{Length}/(\text{Time})^2 = L/T^2 = L T^{-2}$

An example from HW

The "frustrum" of a cone



Which of the following expressions **could possibly** describe the surface area of the curved surface

a. $2\pi(r_1 + r_2)$ b. $\pi(r_1 + r_2)[h^2 + (r_1 - r_2)^2]^{\frac{1}{2}}$ c. $\frac{1}{3}\pi h(r_1^2 + r_1 r_2 + r_2^2)$

Next Basic Tool: Order of Magnitude Estimate

Estimate something very roughly

(e.g., how many cells in our body: a million, billion, or trillion?)

-> Calculate result from quantities that can be approximated
(e.g.: number of cells = volume of body / (Length of a cell)³)

-> Estimate each quantity to within an order of magnitude if possible
(order of magnitude is the power of 10 that applies)

Length of cell: 10 micrometers

Volume of body: 30cm x 30cm x 2m

Total number of cells: 1.8×10^{14} cells -> 180 trillion

Uncertainty in Measurements

- There is uncertainty in every measurement (length of foot)
- this uncertainty “carries over” through the calculations (length of classroom = number of feet * length of foot)
 - -> Length of classroom measurements uncertain in TWO ways: How many feet exactly, and how long is a single foot.
- > We will use rules for significant figures to approximate the uncertainty in results of calculations

Lab 1 will show you more accurate ways to calculate uncertainty in calculations

Example - order of magnitude estimate

- *The city of Los Angeles is in a semi-desert area. It pumps huge amounts of water from Northern California. **Estimate how much water all the people in the city of Los Angeles use every day.***

Estimated number:

REAL NUMBER: 187,229,086,220

Significant Figures, examples

- 0.0075 m has 2 significant figures
 - The leading zeros are placeholders only
 - Can write in scientific notation to show more clearly: 7.5×10^{-3} m for 2 significant figures
- 10.0 m has 3 significant figures
- 1500 m has 4 significant figures (*for the purposes of this class, more accurate treatment see book*)
 - Use 1.5×10^3 m for 2 significant figures
 - Use 1.50×10^3 m for 3 significant figures

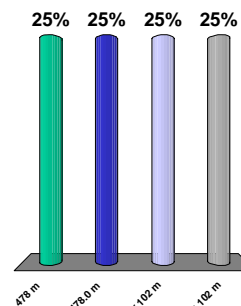
Operations with Significant Figures - Multiplying or Dividing

Number of significant figures in the answer:
~ smallest number of significant figures of the quantities that are multiplied/divided.

Example: $25.57 \text{ m} \times 2.45 \text{ m} = 62.6 \text{ m}^2$
- The 2.45 m limits your result to 3 significant figures

$$932\text{m} \times 0.5 + 12\text{m} = ??$$

1. 478 m
2. 478.0 m
3. $4.8 \times 10^2 \text{ m}$
4. $5 \times 10^2 \text{ m}$



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Operations with Significant Figures - Adding or Subtracting

Number of decimal places in the result:
~smallest number of decimal places in any term in the sum.

Example: $135 \text{ cm} + 3.258 \text{ cm} = 138 \text{ cm}$
- The 135 cm limits your answer to the units decimal value

Rounding

Last retained digit is increased by 1 if the last digit dropped is 5 or above
Last retained digit remains as it is if the last digit dropped is less than 5
Do not round before you get to the final result

Example: Round the sum of 1001 contributions of \$0.40 to the nearest \$

- Final result of calculation: \$400.40
- Rounded final result: \$400
- Round each contribution: \$0
-> sum (rounded too early) is \$0

**Review Chapter 1:
Basic Tools for classical mechanics**

- Standardized quantities for measurements:
 - Length: meter, Mass: kilogram, Time: second
 - Density - an example of derived quantity
- Dimension: Characterizes physical nature of quantity
 - Length, Mass, Time: Basic dimension
 - Dimensional Analysis (Check dimensions in equations)
- Common sense checks:
 - "are results reasonable"
 - Order of magnitude estimate
- Uncertainty in measurement and calculation
 - Significant figures
 - rounding

To Do

- Read Chapter 2.1-3 and 2.5 for Wed lecture and complete online Quiz (skip 2.4)
- Homework due next Fri
- No lab next week
- Discussions will take place next TUESDAY (feel free to attend any Tue discussion if you are in the Monday class, will review problems directly related to HW and exam)